

15. Line transect data analysis – part 2



- Adding covariates to detection functions
- Estimating variance

Adding covariates to detection functions

- Some characteristics of survey conditions or animals seen could affect the probability of detection
 - Survey effort:
 - Sea conditions (“sea state” measured on the Beaufort scale)
 - Swell
 - Glare
 - Animals:
 - Sighting cue
 - Group size
- Adding information on these characteristics as covariates in the detection function could improve model fit
 - Leading to a better estimate of detection probability
 - And therefore a better estimate of density and abundance

Variance estimation

- Each variable or estimated component has a variance
- Use “delta method” to estimate variance (or CV) of density

$$\hat{D}_s = \frac{n}{2wL\hat{p}_a} \quad \hat{D}_s = \frac{n}{2Le\hat{s}w} \quad esw = w \times p_a$$

$$CV_{D_s}^2 = CV_n^2 + CV_{esw}^2$$

$$\hat{V}(n) = \frac{\frac{1}{k} \sum_{i=1}^k \frac{n_i^2}{l_i} - \frac{n^2}{L}}{k}$$

$$n = \sum_{i=1}^k n_i, L = \sum_{i=1}^k l_i$$

l_i = length of transect lines
 n_i = sightings on transects
 k = number of transects

Variance estimation (continued)

- If species occurs in groups

$$\hat{D} = \hat{D}_s E[s]$$

$$CV_{\hat{D}} = \sqrt{CV_{\hat{D}_s}^2 + CV_{E[s]}^2}$$

- Abundance

$$\hat{N} = \hat{D} A$$

$$CV_{\hat{N}} = CV_{\hat{D}}$$

Bootstrap estimates of variance

- Used when variance cannot be calculated analytically
- Assume that the data from different transect lines are independent
- More computer intensive than the analytical method

Bootstrapping

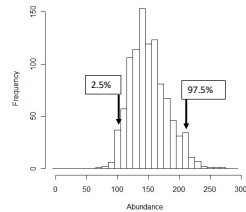
- Suppose we have an abundance estimate obtained from a survey with 12 transects:

- Select transects randomly, with replacement, to create a bootstrap sample
- Analyse data from that sample to give estimate of abundance
- Repeat a large number of times, e.g. 1,000

Transect	Bootstrap samples			
	1	2	3	1000
1	11	3	6	8
2	3	9	10	4
3	5	4	9	12
4	6	10	3	5
5	12	6	5	6
6	7	7	10	1
7	1	9	1	8
8	7	11	4	11
9	9	3	12	1
10	4	2	8	11
11	6	9	8	7
12	8	1	2	5
\hat{N}	\hat{N}_1	\hat{N}_2	\hat{N}_3	\hat{N}_{1000}

Bootstrap variance and confidence limits

- The variance of abundance is simply the variance of all the 1,000 bootstrap abundance estimates
- The 95% confidence limits are calculated by ordering the bootstrap estimates from smallest to largest
- The 2.5%-ile is the lower limit and the 97.5%-ile is the upper limit
 - E.g. if there are 1,000 bootstrap samples
 - Lower limit is 26th estimate
 - Upper limit is 975th estimate



Summary

- Adding covariates can improve estimates of the probability of detection
 - Sighting conditions
 - Characteristics of animals
- Variance estimation
 - Analytical
 - Bootstrap

